

OLLSCOIL na hÉIREANN, GAILLIMH
 NATIONAL UNIVERSITY OF IRELAND, GALWAY
FIRST SEMESTER EXAMINATIONS, 2000

B.E. DEGREE

Civil Engineering and Environmental Engineering
 (CE 418)
HIGHWAY AND TRAFFIC ENGINEERING II

Professor R. Falconer;
 Professor P. E. O'Donoghue;
 Dr. M. J. Brennan;
 F. Gilmore.

Time allowed: two hours.
 Answer all questions.

1. (30%) You are provided with the following files on the server:

Drawing File:	Exam.dwg
Digital Terrain Model:	Exam.dtm

The details for the four Intersection Points (IP) of the three tangent lines for the horizontal alignment of a highway are:

Point	Easting and Northing		Curve Radius
IP1	177314.584 E	226471.590 N	—
IP2	to be determined from Exam.dwg		Radius = 725 m
IP3	to be determined from Exam.dwg		Radius = 700 m
IP4	178533.313 E	227695.043 N	—

The start chainage at IP1 is 1000 m. Simple horizontal curves and the default values for the stake interval, transition lengths and superelevation are required. On the curves, the pavement should be rotated about the inner edge.

The Intersection Points for the gradients on the vertical alignment are:

Point	Chainage	Level	Curve length
IP1	1000 m	82.48	—
IP2	1420 m	82.36	300 m
IP3	2160 m	85.43	300 m
IP4	2580 m	81.27	400 m
IP5	2800 m	78.35	—

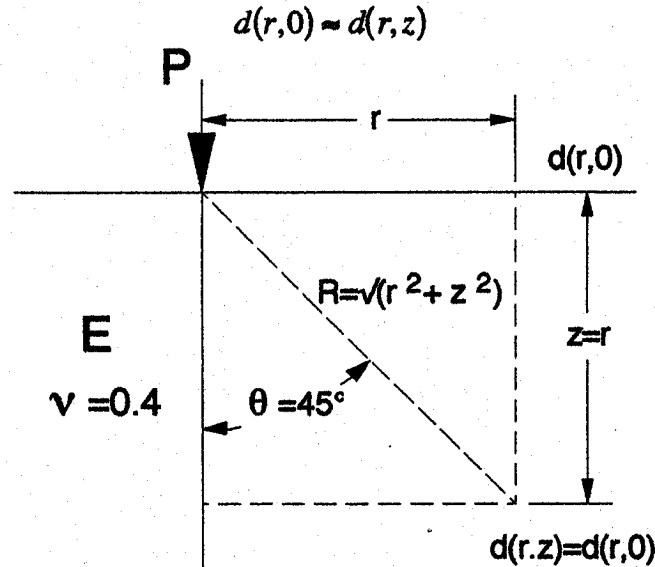
Input the design data to DOER design program, creating a file called **Exam.a01**, and produce the following output noting your name and examination number:

Printout of the Horizontal Curve Elements
 Printout of the Horizontal Data for chainage 1580 m
 Printout of the Vertical Curve Elements
 Printout of the Vertical Data for chainage 1460 m
 Plot of the cross-section at chainage 1460 m

2. (a) (20%) Given that the vertical deflection $d(r,z)$ under a point load, P , at a point with polar co-ordinates (R,θ) is given by the Boussinesq equation:

$$d(r,z) = \frac{(1+\nu)P}{2\pi RE} \{2(1-\nu) + \cos^2\theta\}$$

Show that the deformation above the 45° zone of influence is practically zero in a one-layer elastic pavement with a Young's modulus, E , and Poisson's ratio, ν , equal to 0.4, by proving that



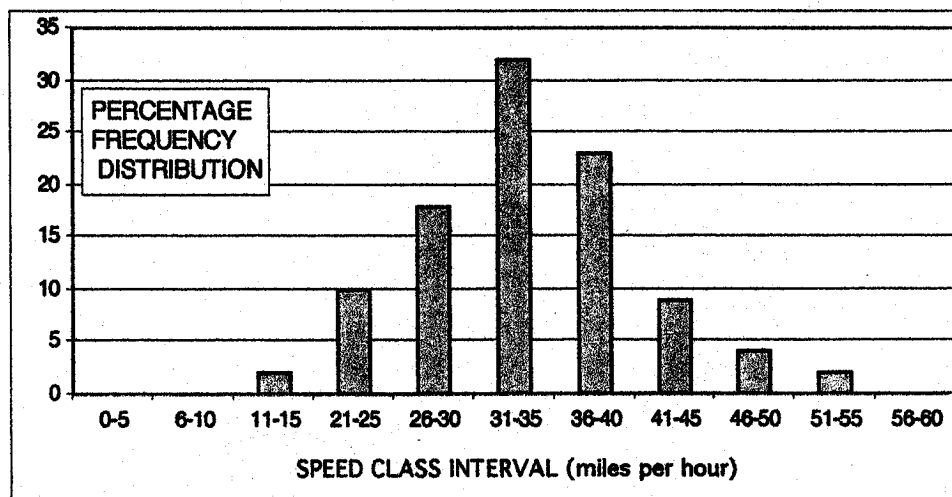
- (b) (10%) The magnitude of the load obtained using a Falling Weight Deflectometer is 40.5 kN. The radius of the contact plate is 150 mm. Using the above equation, estimate the stiffness (MPa) of a subgrade soil from the following deflection basin data and, hence, indicate its California Bearing Ratio (CBR) range (<10%, 10-20%, 20-30%, >30%):

DEFLECTIONS IN MICRONS AT 300 mm INCREMENTS

(Centre)	300 mm	600 mm	900 mm	1200 mm	1500 mm	1800 mm
409 μm	257 μm	139 μm	92 μm	63 μm	48 μm	40 μm

3. (a) (5%) What are the two criteria that are used to establish a speed limit?

- (b) (5%) What would be the appropriate speed limit for the percentage speed distribution shown below?



4. (a) (20%) For a queuing system, the average delay time, $E(v)$, is the sum of the average queuing time, $E(w)$, and the average service time, $E(s)$:

$$E(v) = E(w) + E(s)$$

Given that the average number in a one-channel queuing system with random arrivals and departures, $E(n)$, is given by

$$E(n) = \frac{\lambda}{\mu - \lambda}$$

where λ is the average arrival rate and μ is the average departure rate, show that the average number in the queue, $E(m)$, is given by:

$$E(m) = \frac{\lambda^2}{\mu(\mu - \lambda)}$$

{Note that $E(n) = \lambda E(v)$ }

(b) (10%) At a passport control booth, people arrive at random at a rate of 300 persons per hour. The service time to examine a passport is exponentially distributed with a mean of 9s.

Determine:

the average queueing time, $E(w)$,

and

the average queue length given that somebody is waiting to be served:

$$E(m | m > 0) = \frac{\mu}{(\mu - \lambda)}$$