

OLLSCOIL NA hÉIREANN, GAILLIMH
NATIONAL UNIVERSITY OF IRELAND, GALWAY

B.E. Degree – Civil Engineering
Environmental Engineering

EH 407 – Engineering Hydrology II

SUMMER EXAMINATIONS 2001

Examiners: Professor P.E. O'Connell
Professor K.M. O'Connor
Professor C. Cunnane

Time allowed: Two hours
Attempt four questions

1. (a) Distinguish *briefly* (but *clearly*) between the following categories of rainfall-runoff models:

Black-box Models

Conceptual Models

Physically-based Distributed Models

[2 marks]

- (b) With reference to the schematic line diagram provided for the lumped conceptual **Soil Moisture Accounting and Routing (SMAR) model** (on Page 2), identify its two **principal components or modules** and, *very briefly*, **explain the role** of each of the nine parameters involved in the transformation of the rainfall and evaporation data into the simulated discharge series of the SMAR model.

[2½ marks]

- (c) Supposing that the optimised five parameters of the **water balance component** of the **SMAR Conceptual Model** have the following values;

$T = 0.9$	$H = 0.25$	$Y = 100 \text{ mm/day}$	$Z = 40 \text{ mm}$	$C = 0.8$
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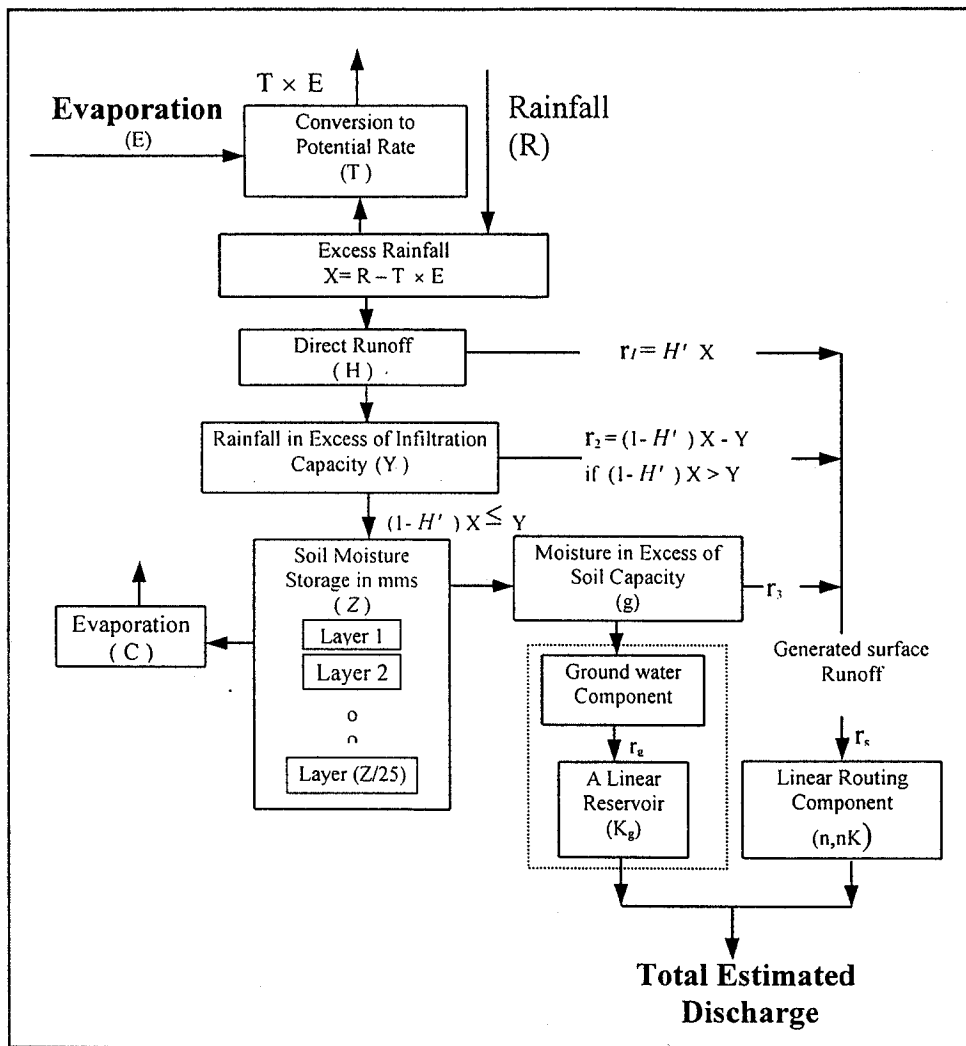
and assuming that the **Rainfall (R)** and **Pan Evaporation (E_{pan})** data for **two consecutive days** on the catchment are as follows;

Rainfall R (mm/day)	2	40
Pan Evaporation E_{pan} (mm/day)	32	10

determine the generated runoff (i.e. that *prior* to the routing process), for each of these two days, assuming also that **all of the soil layers are initially full of moisture**, the capacity of all layers (except possibly the bottom layer) being 25 mm.

[8 marks]

continued overleaf....!



Schematic Line Diagram of the SMAR Conceptual Model.

2. (a) Using the **continuity equation**, $I(t) - Q(t) = \frac{dS(t)}{dt}$, or otherwise, show that, in the case of **reservoir routing**, for an isolated storm event, the **peak of the outflow hydrograph** $Q(t)$ *always* lies at the time **point** t_m **on the recession curve of the inflow hydrograph** $I(t)$, such that $I(t_m) = Q(t_m)$ and the corresponding live storage $S(t_m) = S_{\text{maximum}}$. [2 marks]
- (b) An **artificial lake**, of area $A = 1 \text{ km}^2$, with **vertical sides**, is controlled by a **broad-crested weir** having the discharge/head relation of the form $Q = 1.7BH^{3/2} \text{ m}^3\text{s}^{-1}$, the width of the weir being $B = 10 \text{ m}$. For the 'routing period' $\Delta T = 6$ hours, and taking the storage unit as ΔT cumec hours, show that the **live storage-discharge relation for the weir** has the form $S = 7.0024 Q^{2/3}$. [4 marks]
- (c) Given that the *initial* water surface level in the artificial lake is *just at* the crest of the weir (i.e. $H = 0.0 \text{ m}$), for the inflow hydrograph (I) given below, **check any one outflow value** (Q) in the following computer output table, using the **Puls (Storage Indication) Reservoir Routing Method**, for that period $\Delta T = 6$ hours. [4 marks]

Time t (hours)	6	12	18	24	30	36	42
Inflow I (m^3s^{-1})	10	20	40	50	40	30	20
Outflow Q (m^3s^{-1})	0.55394	3.94232	13.1164	27.4219	36.3244	35.6325	30.2005

- (d) If the lake area A is **reduced by 10%**, for all values of H , e.g. by a landslide, **what corresponding percentage change** (increase or decrease?) **in the weir width** B would yield *exactly* the same outflow hydrograph (Q) as that given above, for the *same* initial storage conditions and the *same* inflow hydrograph (I)? [2½ marks]

3. (a) Design flood estimates for an ungauged catchment can be based on either
- (i) an expression relating mean or median annual flood to catchment characteristics or descriptors or
 - (ii) a design storm – unit hydrograph approach.

State briefly the relative advantages/disadvantages of these two approaches. [5 marks]

- (b) In the UK FSR/FEH design storm – unit hydrograph method determine, for a catchment whose main characteristics are listed below:

/..Question 3(b) continued overleaf

- (i) the ordinates of the unit hydrograph at appropriate intervals of time. [3 marks]
- (ii) the gross rainfall depth for a design storm intended for estimating the 50 year return period flood peak. [3.5 marks]
- (iii) the net rainfall depth for this storm. [1 mark]

Catchment characteristics are:

Area = 70 km², Channel length = 12 km, Channel slope = 10 m/km,
 R_{sm} = 40 mm, Soil index G = 0.28, 2 day R₅ = 65 mm
 Mean annual rainfall = 1250 mm, 60 min R₅/2 day R₅ = r = 0.30.

4. (a) The dispersion or spread of a set of hydrological data can be expressed by the second L-moment, which in common notation is defined as $\frac{1}{2} E (X_{2:2} - X_{2:1}) = 2 M_{110} - M_{100}$. Explain in words what this expression conveys. [3 marks].

- (b) The annual maximum floods of the River Quick at Easyford have the following values of probability weighted moments:

$$M_{100} = 87.60, M_{110} = 59.37, M_{120} = 45.55$$

Calculate the corresponding L-Moments and L-Moment ratios. [3 marks]

- (d) Calculate the generalised logistic GLO growth curve ordinates for return periods T = 2, 5, 10, 25, 50, 100 years and display these as a curve on a diagram in which the abscissa is the standardised logistic variable y_L . [6.5 marks]

5. (a) How does potential evaporation from soil and vegetated surfaces differ from potential open water evaporation? [2 marks]

- (b) Distinguish between potential evaporation and actual evaporation in the context of vegetated surfaces. [3 marks]

- (c) Explain the terms field capacity, soil moisture deficit and wilting point [3 marks]

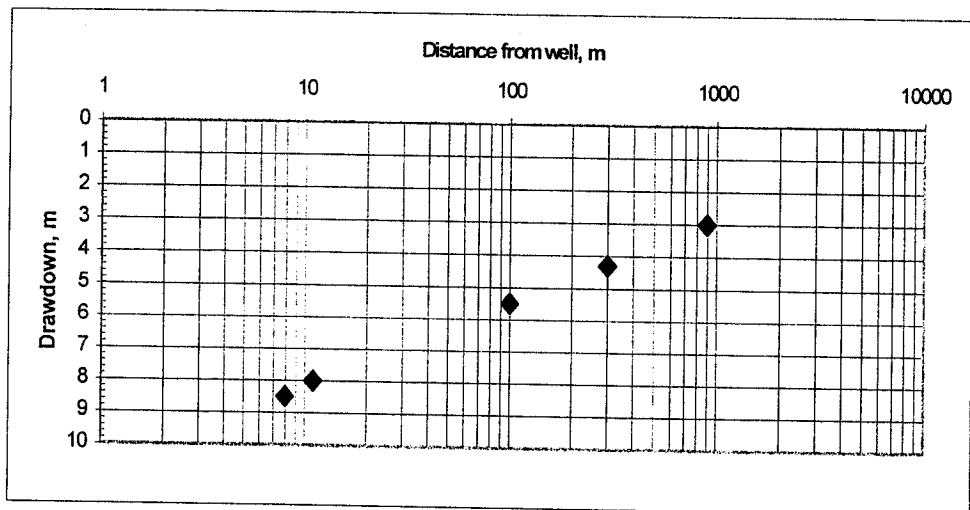
- (e) Explain Penman's assumption about the manner in which actual evaporation from a vegetated surface decreases as soil moisture content decreases. How is actual evaporation calculated in Penman's scheme? [4.5 marks].

6. (a) The transmissivity T and storativity S of an ideal aquifer can be determined from pumping test data by either a Theis curve matching method or by a Jacob approximation method – either time drawdown or distance drawdown.

In what circumstances is it valid to use the Jacob methods? [2 marks]

- (b) Determine T and S from the well test pump data displayed on the following graph. The rate of pumping is $Q = 10 \text{ m}^3/\text{min}$ and the time of observation, since commencement of pumping, is 3.5 days. [5 marks]

- (c) In the Theis curve matching method two graphs are used. These are a semi log plot of observed drawdown versus time and the well function type curve showing $W(u)$ as a function of $1/u$ on a log-log plot. Explain the basis of this method. [5.5 marks]



A larger working version of this diagram is attached.